

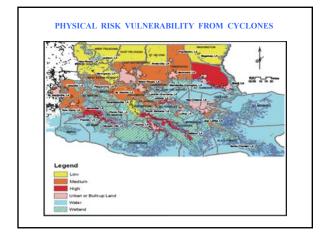


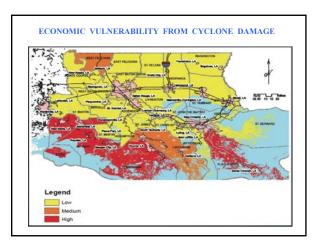
32,000 KM OF PIPELINES IN COASTAL LOUISIANA

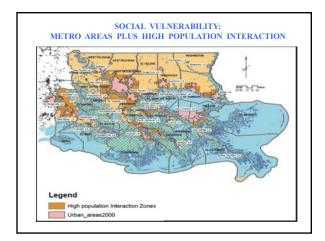
38,000 KM OF CHANNELS IN COASTAL LOUISIANA

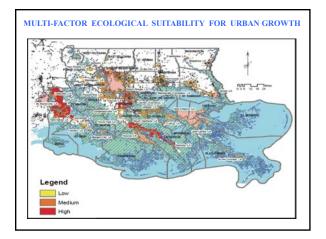
ONE FOOT OF STORM SURGE IS BUFFERED BY FOUR KM OF COASTAL MARSHLAND

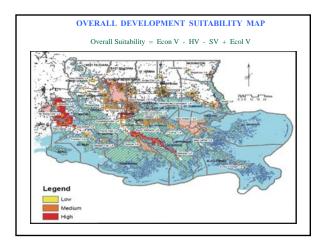
PIPES AND CANALS IMPAIR THE FUNCTIONAL INTEGRITY OF WETLANDS TO BUFFER LAND AND CITIES FROM A CYCLONE STORM SURGE

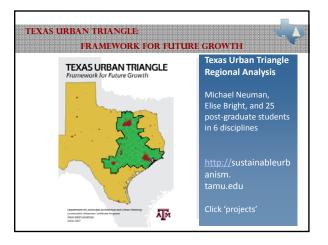


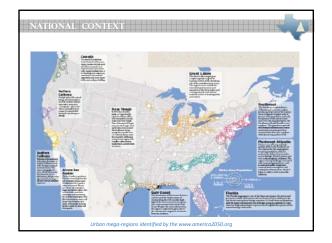


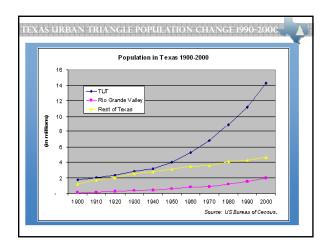


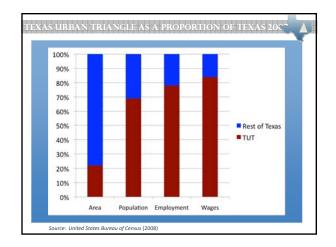






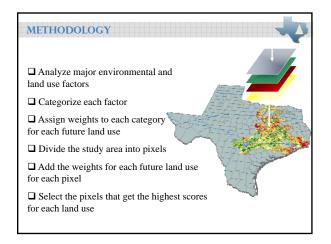


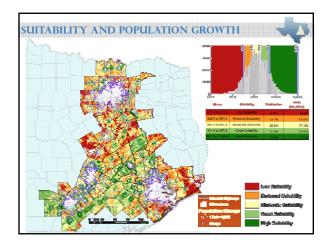


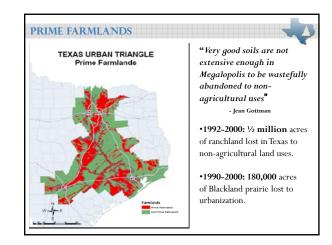


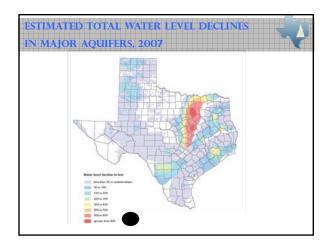


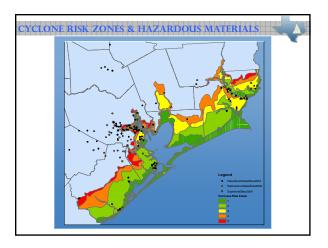


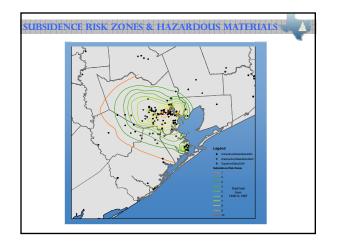


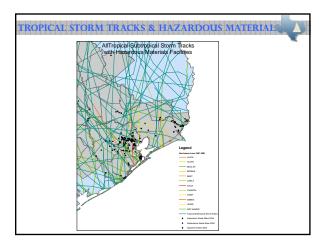




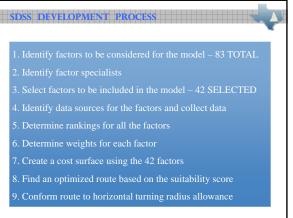




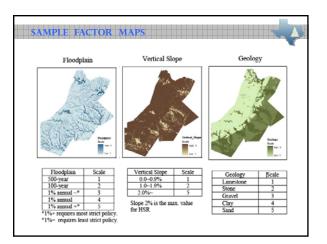


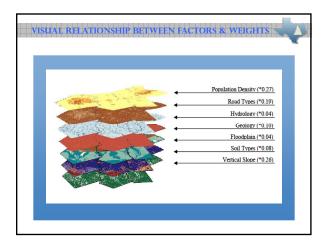


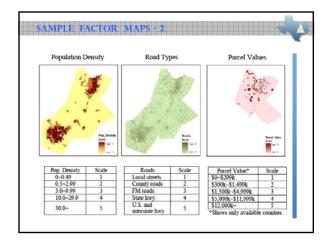


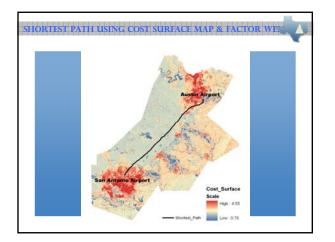


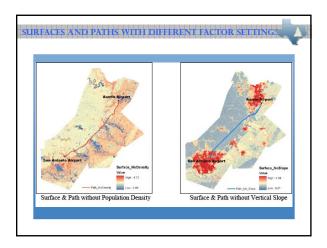
	Density	Slope	Roads	Hydrology	Floodplain	Geology	Soils	Eigen Vector	%
Density	0.33	0.40	0.29	0.24	0.20	0.20	0.23	0.27	29.01
Slope	0.22	0.27	0.43	0.24	0.16	0.23	0.23	0.26	27.0%
	0.17	0.09	0.14	0.24	0.18	0.23	0.29	0.19	19.0%
Hydrology	0.07	0.05	0.03	0.05	0.08	0.02	0.02	0.04	5.0%
Floodplain	0.07	0.07	0.03	0.02	0.04	0.02	0.02	0.04	4.05
Geology	0.11	0.08	0.04	0.17	0.16	0.07	0.09	0.10	9.01
Soils	0.08	0.07	0.03	0.17	0.14	0.04	0.06	0.08	8.0%
SUM	1.04	1.02	0.99	1.15	0.96	0.80	0.94	1.00	100%

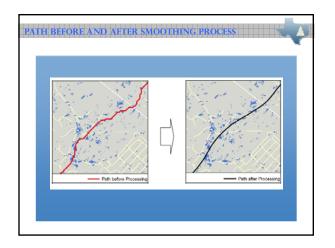




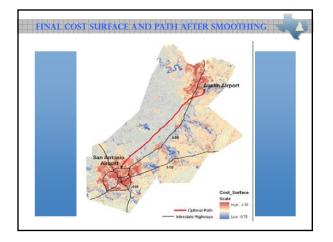




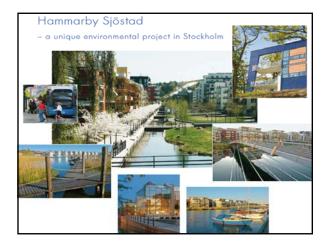




The analytical expression for the radius of curvature, TR, for a curve f(x) is $TR = \frac{(1 + d_x f^2)^{3/2}}{ d_{x,x} f }$ In order to interpolate a general sequence of location points in two dimensions, a parameter representation is required: [f] = (x[1], y[1]). Here f[1] represents a curve that passes through all the points. The points are independent of each other, so only three points will be considered at a time. To interpolate a curve that passes through three arbitrarily points, the Lagrange polynomial is used: P[x] = f_0 L_{3,0}+f_1 L_{3,1}+f_2 L_{3,2} will be used for x[t] and y[t]. Given the curve C={x[t]x[t]}, then the radius of curvature] is $r = \frac{1}{x[t]} = \frac{[c^{(x,p)+1}_{x(x)}]}{[c^{(x,p)+1}_{x(x)}]}$ and the	RADIUS OF CURVATURE FORMULAE FOR SMOOTHING
$TR = \frac{(1 + d_x f^2)^{3/2}}{ d_{x,x} f' }$ In order to interpolate a general sequence of location points in two dimensions, a parameter representation is required: $f(t) = (x(t), y(t))$. Here $f(t)$ represents a curve that passes through all the points. The points are independent of each other, so only three points will be considered at a time. To interpolate a curve that passes through three arbitrarily points, the Lagrange polynomial is used: $P[x] = f_0 L_{3,0} + f_1 L_{3,1} + f_2 L_{4,2}$ will be used for $x[t]$ and $y[t]$. Given the curve $C=\{x[t], x[t]\}$, then the radius of curvature is $r = \frac{1}{x(t)} = \frac{(r^4, r^2)^{1/2}}{2r^2 r^2 r^2}$ and the	
In order to interpolate a general sequence of location points in two dimensions, a parameter representation is required: $f(t) = (x(t), y(t))$. Here $f(t)$ represents a curve that passes through all the points. The points are independent of each other, so only three points will be considered at a time. To interpolate a curve that passes through three arbitrarily points, the Lagrange polynomial is used: $P(x) = f_0 L_{3,0} + f_1 L_{3,1} + f_2 L_{3,2}$ will be used for $x(t)$ and $y(t)$. Given the curve $C=\{x(t), x(t)\}$, then the radius of curvature is $r = \frac{1}{x(t)} = \frac{(c^*, r^0)^{-1}}{(x(t)^*, y(t))}$ and the	The analytical expression for the radius of curvature, TR, for a curve f(x) is
representation is required: $f(t) = (x[t], y[t])$. Here $f(t)$ represents a curve that passes through all the points. The points are independent of each other, so only three points will be considered at a time. To interpolate a curve that passes through three arbitrarily points, the Lagrange polynomial is used: $P[x] = f_0 L_{3,0}+f_1 L_{3,1}+f_2 L_{4,2}$ will be used for $x[t]$ and $y[t]$. Given the curve $C=\{x[t], x[t]\}$, then the radius of curvature is $r = \frac{1}{x[t]} = \frac{(c^*, r^0)^{1/2}}{x[t]^*, y[t]}$ and the	$TR = \frac{(1 + d_x f^2)^{3/2}}{ d_{xx} f }$
polynomial is used: $P[\mathbf{x}] = f_0 L_{3,0} + f_1 L_{3,1} + f_2 L_{3,2} \text{ will be used for } \mathbf{x}[t] \text{ and } \mathbf{y}[t].$ Given the curve C={x[t],x[t]}, then the radius of curvature is $r' = \frac{1}{ \mathbf{x} ^2} = \frac{ (c^2 + c^2) ^2}{ \mathbf{x} ^2 - \mathbf{y} ^2 ^2}$ and the	representation is required: f[t] = (x[t], y[t]). Here f[t] represents a curve that passes through all the
Given the curve C={x[t],x[t]}, then the radius of curvature is $r = \frac{1}{2(2)} = \frac{(r^2 + y^2)^{22}}{(r^2 + y^2)^{22}}$ and the	
Given the curve C={x[t],x[t]}, then the radius of curvature is $r = \frac{1}{k(0)} = \frac{(k^2 + y^2)^{12}}{(x'y - y'x')}$ and the	
center of the circle is $(x_{cr}, y_{t}) = (x, y) + r(y^{*}, -x^{*}) / \sqrt{x^{*^{2}} + y^{*^{2}}}$.	Given the curve C={x[t],x[t]}, then the radius of curvature is $r = \frac{1}{2(0)} = \frac{1}{2(y-y^2)^2}$ and the center of the circle is $[x_0, y_1] = [x, y] + r[y^1, -x^2] / \sqrt{x^2 + y^2}$.

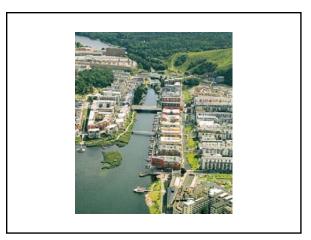




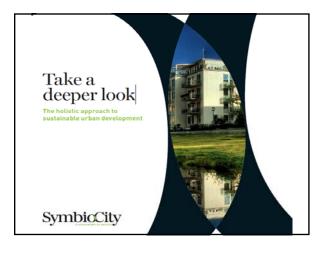


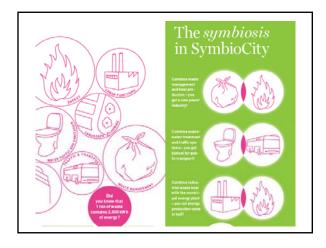


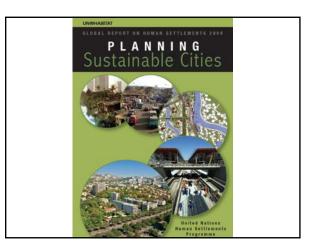


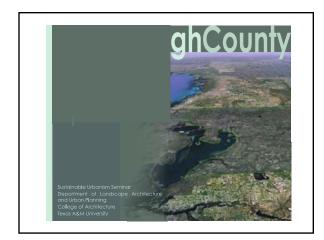






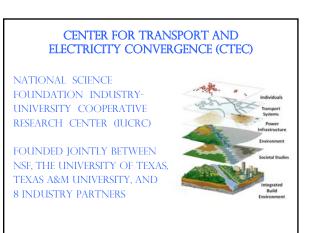




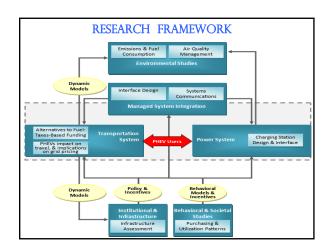


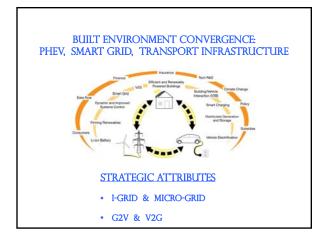
TAMPA, FLORIDA	INDICATOR GROUP	SOCIAL	ENVIRON- MENTAL	ECONOMIC
GENERAL PLAN	Automobile Emissions		•	
SUSTAINABILITYAUDIT	Public Transportation and Connectivity	•		•
babininabilitititabili	Infrastructure	•		•
	Green Infrastructure	•	•	
	Energy Consumption		•	•
	Wetlands		•	
THE AUDIT ANALYZES	Air Quality	•	•	
	Habitat		•	
AND ASSESSES THE GOALS,	Biodiversity		•	
OBJECTIVES, AND POLICIES OF	Consumption & Production Patterns		•	•
THE CITY OF TAMPA'S	Storm Water Management			•
GENERAL PLAN USING	Water Supply	•		•
	Water Quality	•	•	
MEASURABLE & REPLICABLE	Community Programs	•		
SUSTAINABILITY INDICATORS	Public Health	•		
	Walkability	•		•
	Street Pattern & Livability	•		•
	Social Equity	•		
	Economic Sustainability			•
	Coastal Habitats			

CITY OF TAMPA OVERALL SUSTAINABILITY AUDIT SCORES					
INDICATOR GROUP	AVERAGE SCORES	GENERAL COMMENTS			
Storm Water Management	2.1	Tampa has adopted development regulations to manage the impacts on storm water drainage and the protection of wetlands. Plan would benefit from measureable objectives.			
Water Supply	1.9	Water quantity and conservation is highlighted strongly. More specific indicators could be covered: Total Water Resources Used, Water Resources, Water Rights Held by Tampa			
Water Quality	2.3	The plan successfully identifies the importance of water quality. There should be more quantitative indicators about specific chemicals to ensure water safety.			
Public Health	2.0	Access to medical care, access to recreation and public space facilities, physical activity-fitness / wellness, and access to community gardens & farmers' markets.			
Active Transport	2.6	The Plan for Tampa did a fine job identifying walking and biking indicators to enhance livability and promote sustainability.			
Street Pattern & Livability	1.6	Plan covers safety, street connectivity, street landscaping and seating, street ornamentation, street typology, building façade design, and frequency of use.			
Social Equity	2.0	Specific criteria can be developed for a range of social issues.			

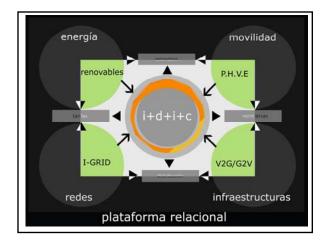


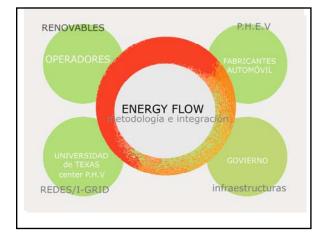




















LIFE CYCLE SUSTAINABILITY
REPLENISH
$$\geq$$
 WITHDRAWAL

$$\sum_{k=1}^{z_{i}} \frac{dw_{k}}{dt} \geq \sum_{j=1}^{z_{0}} \frac{dw_{j}}{dt}$$

$$\frac{dw_{aquifer_input}}{dt} \geq \frac{dw_{aquifer_withdrawal}}{dt}$$

